		CAL	CULUS II						
1	Course Title:	CALCUL	US II						
2	Course Code:	MAT1072E							
3	Type of Course:	Compulsory							
4	Level of Course:	First Cycle							
5	Year of Study:	1							
6	Semester:	2							
7	ECTS Credits Allocated:	6.00							
8	Theoretical (hour/week):	3.00							
9	Practice (hour/week):	2.00							
10	Laboratory (hour/week):	0							
11	Prerequisites:	None							
12	Language:	English							
13	Mode of Delivery:	Face to face							
14	Course Coordinator:	Prof. Dr. İSMAİL NACİ CANGÜL							
15	Course Lecturers:	Matematik bölümünün tüm öğretim üyesi ve öğretim görevlileri							
16	Contact information of the Course Coordinator:	E-posta: cangul@uludag.edu.tr Telefon: +90 224 2941756 Adres: Bursa Uludağ Üniversitesi Fen-Edebiyat Fakültesi Matematik Bölümü 16059 Görükle-Bursa-TÜRKİYE							
17	Website:								
18	Objective of the Course:	is to give sufficient mathematics knowledge to solve engineering problems to students and also to improve the ability of finding solution to problems and analytical thinking.							
19	Contribution of the Course to Professional Development:	Will give the maths knowledge that will be needed in four years.							
20	Learning Outcomes:								
		1	To prepare the basic infrastructure of Mathematics.						
		2	Introduce the important theorems of mathematics and its applications						
		3	Effectively learn how to use mathematics in solving engineering problems.						
		4	Integral and its applications of the calculations to know						
		5	Create mathematical background for other courses.						
		6							
		7							
		8							
		9							
0.4	Course Content	10							
21	Course Content:	0-	Nurse Contents						
Mode	Theoretical	Co	purse Content:						
vveek	Theoretical Practice								

1 The indefinite integral and its properties. 2 Methods of indefinite integral 3 Applications of indefinite integral 4 The definite integral and its properties 5 Riemann sums, Riemann integral and its properties 6 The fundamental theorems of integral calculus 7 The methods of numerical integral 8 The improper integral and its properties Examples of the indefinite integral. Examples of the definite integral Examples of the Riemann sums and Riemann integral calculus Examples of the the fundamental theorems of integral calculus Examples of the methods of numerical integral Examples of the methods of numerical integral Examples of the improper integral.							
3 Applications of indefinite integral Examples of the applications of indefinite integral. 4 The definite integral and its properties Examples of the definite integral 5 Riemann sums, Riemann integral and its properties Examples of the Riemann sums and Riemann integral properties 6 The fundamental theorems of integral calculus Examples of the the fundamental theorems of integral calculus 7 The methods of numerical integral Examples of the methods of numerical integral							
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5 Riemann sums, Riemann integral and its properties 6 The fundamental theorems of integral calculus 7 The methods of numerical integral Examples of the Riemann sums and Riemann integral Examples of the the fundamental theorems of integral calculus Examples of the methods of numerical integral							
properties 6 The fundamental theorems of integral calculus 7 The methods of numerical integral Examples of the methods of numerical integral Examples of the methods of numerical integral							
calculus 7 The methods of numerical integral Examples of the methods of numerical integral	l						
8 The improper integral and its properties Examples of the improper integral.	Examples of the methods of numerical integral						
	Examples of the improper integral.						
9 The applications of definite integral and area Examples of the applications of definite integral	Examples of the applications of definite integral						
10 The volumes and length of a plane curve Examples of the volumes and length of a plane curve	Examples of the volumes and length of a plane curve						
The area of surface of revolution, moments and center of mass Examples of the area of surface of revolution, moment and center of mass	Examples of the area of surface of revolution, moments and center of mass						
12 The sequences, series and their properties Examples of the sequences and series	Examples of the sequences and series						
13 Tests for convergence of series, alternating Examples of the tests for convergence of series	Examples of the tests for convergence of series						
The power series and representation of functions by power series. Examples of the The power series and representation functions by power series	Examples of the The power series and representation of functions by power series						
Textbooks, References and/or Other Materials: Genel Matematik, Diferensiyel ve İntegral Hesap, O. Bizim, A. Tekcan, B. Gezer. Calculus Concepts and Contexts, J. S. Stewart Calculus and Analytic Geometry, G. B. Thomas, R. L. Finney	Bizim, A. Tekcan, B. Gezer. Calculus Concepts and Contexts, J. S. Stewart Calculus and Analytic Geometry, G. B. Thomas, R. L.						
23 Assesment							
TERM LEARNING ACTIVITIES NUMBE WEIGHT							
Midterm Exam 1 40.00							
Quiz 0 0.00							
Home work-project 0 0.00							
Final Exam 1 60.00							
Total 2 100.00							
Contribution of Term (Year) Learning Activities to Success Grade 40.00							
Contribution of Final Exam to Success Grade 60.00							
Total 100.00	100.00						
Measurement and Evaluation Techniques Used in the written exam Course							

Activites			Number	Duration (h	nour) Total Work Load (hour)						
Theoretical			14	3.00	42.00						
Practicals/L	_abs		14	2.00	28.00						
Self study a	and preperation		14	3.00	42.00						
Homeworks	S		0	0.00	0.00						
Projects			0	0.00	0.00						
Field Studie	es		0	0.00	0.00						
Midterm ex	ams		1	7.00	7.00						
Others			1	21.00	21.00						
Final Exam	S		1	28.00	28.00						
Total Work	Load				182.00						
Total work	load/ 30 hr				5.83						
ECTS Cred	lit of the Course				6.00						
25	CONTRIBUTION OF LEARNING OUTCOMES TO PROGRAMME QUALIFICATIONS										
	PQ1 PQ2 PQ3 PQ4 PQ5	PQ6 PQ7 PQ8	PQ9 PQ1	PQ11 PQ12 PQ1	PQ14 PQ15 PQ16						

25	CONTRIBUTION OF LEARNING OUTCOMES TO PROGRAMME QUALIFICATIONS															
	PQ1	PQ2	PQ3	PQ4	PQ5	PQ6	PQ7	PQ8	PQ9	PQ1 0	PQ11	PQ12	PQ1 3	PQ14	PQ15	PQ16
ÖK1	5	4	1	0	5	0	0	5	0	0	0	0	5	0	0	0
ÖK2	5	5	3	0	3	0	0	2	0	0	0	0	2	0	0	0
ÖK3	5	5	5	0	5	0	0	4	0	0	0	0	4	0	0	0
ÖK4	4	3	1	0	4	0	0	3	0	0	0	0	2	0	0	0
ÖK5	5	5	5	0	5	0	0	4	0	0	0	0	4	0	0	0
LO: Learning Objectives PQ: Program Qualifications																
Contrib 1 very low ution Level:		2	2 low		3 Medium			4 High			5 Very High					