## ADVANCED ENGINEERING MATHEMATICS Course Title: ADVANCED ENGINEERING MATHEMATICS 1 Course Code: MAK5001 2 Type of Course: Compulsory 3 Level of Course: 4 Second Cycle Year of Study: 5 1 Semester: 1 6 ECTS Credits Allocated: 6.00 7 Theoretical (hour/week): 3.00 8 9 Practice (hour/week): 0.00 10 Laboratory (hour/week): 0 None 11 Prerequisites: Turkish 12 Language: Mode of Delivery: Face to face 13 14 Course Coordinator: Doc. Dr. MURAT REİS 15 Course Lecturers: Prof. Dr. Osman Kopmaz Contact information of the Course okopmaz@uludag.edu.tr 16 +90 224 294 19 62 Coordinator: Uludağ Üniversitesi, Mühendislik Mimarlık Fakültesi, Makine Mühendisliği Bölümü, Görükle, 16059 Bursa Website: 17 18 Objective of the Course: Teach advanced mathematical methods which are used in solving engineering problems. Contribution of the Course to 19 Professional Development: Learning Outcomes: 20 1 Students who attend this course learn advanced topics and methods of mathematics. 2 They can model engineering problems, and solve them using mathematical methods. 3 4 5 6 7 8 9 10 Course Content: 21 **Course Content:** Theoretical Week Practice Review of ordinary differential equations. 1 Series solutions of differential equations. Frobenius method. Special differential equations. Bessel and 2 modified Bessel differential equations. Classical and modified Bessel functions of first and second kind. 1st take-home.

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