REAL ANALYSIS II									
1	Course Title:	REAL A	NALYSIS II						
2	Course Code:	MAT510	2						
3	Type of Course:	Optional							
4	Level of Course:	Second	Cycle						
5	Year of Study:	1							
6	Semester:	2							
7	ECTS Credits Allocated:	6.00							
8	Theoretical (hour/week):	3.00							
9	Practice (hour/week):	0.00							
10	Laboratory (hour/week):	0							
11	Prerequisites:	none							
12	Language:	Turkish							
13	Mode of Delivery:	Face to t	face						
14	Course Coordinator:	Prof. Dr.	OSMAN BİZİM						
15	Course Lecturers:	Prof. Dr.	Osman Bizim						
16	Contact information of the Course Coordinator:	Uludağ Üniversitesi, Fen-Edebiyat Fakültesi Matematik Bölümü, Görükle Bursa-TÜRKİYE 0 224 294 17 57 / obizim@uludag.edu.tr							
17	Website:								
18	Objective of the Course:	courses	of this course is to review student's undergradute analysis and to correct the deficiencies. So students can be su have sful in graduate studies.						
19	Contribution of the Course to Professional Development:								
20	Learning Outcomes:								
		1	Learns measure and its applications.						
		2	Learns measurable sets, measurable functions and the Lebesgue measure.						
		3	Learns the Lebesgue integral and its properties.						
		4	Learns Lp-spaces and convex functions.						
		5	Learns Hilbert spaces, inner-product spaces and linear functionals.						
			Learns orthonormal sets and trigonometric series.						
		7	Learns the Fourier series of continous functions.						
		8							
		9							
	lo o	10							
21	Course Content:	Ca	purse Content:						
Week	Theoretical	CC	Practice						
1	Set functions and their properties		1 TAOLIOG						
2	Measura function, measure space ar properties	nd their							
3	Construction the Lebesgue and the Emeasure and their properties	Borel							

4	Measurable functions						
5	Simple functions and their properties						
6	The Lebesgue integral of simple funct and their properties	tions					
7	The Lebesgue covergence theorem a applications	nd its					
8	The integral of complex functions and properties	their					
9	The Riesz-Fischer theorem and its applications						
10	Lp-spaces and their properties						
11	Convex functions and their properties						
12	Hilbert spaces inner-product spaces innear functionals.	and					
13	Orthonormal sets and trigonometric seand their properties	eries					
14	Banach spaces and the Fourier series continous functions.	s of					
22	Textbooks, References and/or Other Materials:		<ul><li>[1] Principles of Mathematical Analysis, W. Rudin,</li><li>[2] Real and Complex Analysis, W. Rudin,</li><li>[3] Real Analysis, H. L. Royden,</li><li>[4] Introduction to Real Analysis, W. F. Trench.</li></ul>				
23	Assesment						
TERM I		NUMBE R	WEIGHT				
Midterr	m Exam	0	0.00				
Quiz		0	0.00				
Home	work-project	0	0.00				
Final E	xam	1	100.00				
Total		1	100.00				
	oution of Term (Year) Learning Activitie ss Grade	s to	0.00				
Contrib	oution of Final Exam to Success Grade		100.00				
Total			100.00				
Measu Course	rement and Evaluation Techniques Use	ed in the					
24	ECTS / WORK LOAD TABLE						

Activites	Number	Duration (hour)	Total Work Load (hour)
Theoretical	14	3.00	42.00
Practicals/Labs	0	0.00	0.00
Self study and preperation	14	5.00	70.00
Homeworks	0	0.00	0.00
Projects	0	0.00	0.00
Field Studies	0	0.00	0.00
Midterm exams	0	0.00	0.00
Others	14	5.00	70.00
Final Exams	1	43.00	43.00
Total Work Load			225.00
Total work load/ 30 hr			7.50
ECTS Credit of the Course			6.00

25	CONTRIBUTION OF LEARNING OUTCOMES TO PROGRAMME QUALIFICATIONS															
	PQ1	PQ2	PQ3	PQ4	PQ5	PQ6	PQ7	PQ8	PQ9	PQ1 0	PQ11	PQ12	PQ1 3	PQ14	PQ15	PQ16
ÖK1	5	5	5	5	5	5	5	5	5	5	0	0	0	0	0	0
ÖK2	5	5	5	5	5	5	5	5	5	5	0	0	0	0	0	0
ÖK3	5	5	5	5	5	5	5	5	5	5	0	0	0	0	0	0
ÖK4	5	5	5	5	5	5	5	5	5	5	0	0	0	0	0	0
ÖK5	5	5	5	5	5	5	5	5	5	5	0	0	0	0	0	0
ÖK6	5	5	5	5	5	5	5	5	5	5	0	0	0	0	0	0
ÖK7	5	5	5	5	5	5	5	5	5	5	0	0	0	0	0	0
LO: Learning Objectives PQ: Program Qualifications																
Contrib ution Level:	on Í			2	2 low 3			Medium		4 High			5 Very High			