	GENERAL	_ ANA	LYTIC FUNCTIONS						
1	Course Title:	GENERAL ANALYTIC FUNCTIONS							
2	Course Code:	MAT6407							
3	Type of Course:	Optional							
4	Level of Course:	Third Cycle							
5	Year of Study:	2							
6	Semester:	3							
7	ECTS Credits Allocated:	6.00							
8	Theoretical (hour/week):	3.00							
9	Practice (hour/week):	0.00							
10	Laboratory (hour/week):	0							
11	Prerequisites:	None							
12	Language:	Turkish							
13	Mode of Delivery:	Face to face							
14	Course Coordinator:	Prof. Dr. SEZAYİ HIZLIYEL							
15	Course Lecturers:								
16	Contact information of the Course Coordinator:	hizliyel@uludag.edu.tr 0(224)29 41765							
17	Website:								
18	Objective of the Course:	Elliptic partial differential equations provide the necessary infrastructure to do advanced research							
19	Contribution of the Course to Professional Development:	Gaining analytical thinking ability and providing the necessary infrastructure							
20	Learning Outcomes:								
		1	know Singularities functions, the fundamental solution and represent formulas						
		2	knows Green's function .						
		3	Knows the properties of maximum, minimum, and mean value						
		4	Dirichlet problem and knows the existence and uniqueness theorem						
		5							
		6							
		7							
		8							
		9							
		10							
21	21 Course Content:								
10/	Course Content:								
vveek	Theoretical Preliminaries (classification of two-va	ariable	Practice						
	equations (elliptic, parabolic and hyp types), harmonic functions of two va the fundamental solution and repres obtained with the help of the fundam solution, the mean value, maximum, minimum principle), the Dirichlet pro a circle	perbolic riables, entations pental							

2	Classification of second order equations with n independent variables and the necessity of classification																
3	n-dimensional Laplace equation and Green's identities					3											
4		Singularities functions, fundamental solution, formulas representing					,										
5		Dirichlet problem in hypersphere , existence and uniqueness theorem															
6	Gree resu	en fui Its	nction	, Pois	son's	formula	a and	the									
7	mea prop			nd Ma	ximun	n, minir	mum										
8	the n +k^2		n value	e prop	erties	for equ	uation	?_3 ι	r								
9																	
10	Conf	forma	al tran	sform	ation	method	k										
11	, i	, 	<u> </u>	on me													
12	Finite	e diff	erenc	e met	hod												
13	Diric	hlet	princip	ble													
14	Sub-	harn	nonic	functio	ons												
22	Text	book	s, Re	ferenc	es an	d/or Ot	ther		A	Course	e of Mo	dern Aı	nalysis,	E.T. W	hittaker	and G.N	۷.
Activit	Activites							Number			Dura	Duration (hour)			Total Work Load (hour)		
Theore	tical						R		Į,	14			3.00			42.00	
Practica	Practicals/Labs						(0			0.00			0.00			
Self stu	ıdy ar	nd pr	epera	tion			0		- U.Ç	7.00					98.00		
Homeworks					4				5.00	5.00			20.00				
Final E	Final Exam					TU				0.00			0.00				
Field S	Field Studies						(0.00		(0.00			
	ontribution of Lerm (Year) Learning Activities to lidterm exams uccess Grade						106	0.00			0.00	0.00			0.00		
Others								0			0.00			0.00			
Einal E	al Exams						- ·	1 20.00				20.00					
Total W																180.00	
Heasw	is frequencies	stan	\$0₩a	luatio	n Tec	hnique	s Use	d in th	ie Su co	ccess	is eval of the c	uated v	vith 1 Y	YSS in	accord	ange wit	th the
ECTS	Credit	t of th	he Co	urse												6.00	
25	<u> </u>			CON	TRIB		N OF	E LE	ARN	ING	ουτα	OME	S TO I	PROG	RAM	ME	
	25 CONTRIBUTION OF LEARNING OUTCOMES TO PROGRAMME QUALIFICATIONS																
	F	PQ1	PQ2	PQ3	PQ4	PQ5	PQ6	PQ7	PQ8	PQ9	PQ1 0	PQ11	PQ12	PQ1 3	PQ14	PQ15	PQ16
ÖK1	4	4	0	0	3	0	0	4	0	0	0	0	0	0	0	0	0
ÖK2	(C	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
ÖK3	(C	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
ÖK4	(C	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0

LO: Learning Objectives PQ: Program Qualifications										
Contrib ution Level:	1 very low	2 low	3 Medium	4 High	5 Very High					